Basics

A thermal detector combines an absorber and a temperature sensor



Absorber spectral response



Absorber thermal circuit



thermal balance equation: $C_t dT_d/dt + (1/K_t) T_d = P$ (as an RC parallel circuit) or, $\tau dT_d/dt + T_d = K_t P$ whence $f_2 = 1/2\pi\tau = 1/2\pi K_t C_t$

Temperature-sensing section



Pole-zero cancellation in pyroelectrics

in electrical circuit, derivative operator pdT_d/dt (pyroelectric) cancels out integration of thermal circuit (f>>1/ τ)

 $T_d = (1/C_t) \int P dt$

then

$$I = p dT_d/dt = (p/C_t)P$$

short-circuit current is proportional to P (even at $f >> 1/\tau$)

or, responsivity is

 $R = I/P = p/C_t$

Frequency response



Detectivity of thermal detectors

$$K_t = dT/dP = 1/(4A\sigma T^3)$$

 $\Delta T_n = [kT^2/C]^{1/2}$

NEP = $\Delta T_n / K_t = [kT^2/C]^{1/2} / K_t$ = $[kT^2 2\pi B]^{1/2} \sqrt{(4A\sigma T^3)}$

 $D^* = \sqrt{AB} / NEP = 1 / [8\pi\sigma kT^5]^{1/2}$

typical values: $D^*=1.8.10^{10} \text{ W}^{-1} \text{ cm Hz}^{1/2}$ at T=300K, and $D^*=5.2.10^{11} \text{ W}^{-1} \text{ cm Hz}^{1/2}$ at T=77 K,

Detectivity vs λ



Temperature measurements



received power: $p = r(\lambda, T) \pi NA^2 A \Delta \lambda$

r is blackbody radiance: $r(\lambda,T) = 2hc^2/\pi \lambda^5 (\exp h\nu/kT-1)$

$$\Delta p = (dp/dT) \Delta T = [dr(\lambda)/\Delta T dT] \pi NA^2 A \Delta \lambda =$$
$$= \pi NA^2 A \Delta \lambda \kappa r(\lambda) \Delta T/T$$

where $\kappa = (h\nu/kT) [\exp h\nu/kT / (\exp h\nu/kT-1)]$

 $\approx hc/\lambda kT = 47.88(\mu m)/\lambda$ for hv > kT

(or, $\lambda < 48 \mu m$, the break-point between thermal and quantum)

Noise

In a BLIP-limited detector:

$$i_{n(bg)} = \sigma NEP = \sigma NA\sqrt{AB/D_{BLIP}}$$

= $NA\sqrt{[2\pi e\sigma r(\lambda)\Delta\lambda AB]}$

but signal is $i = \sigma \Delta p = \sigma \pi NA^2 A \Delta \lambda \kappa r(\lambda) \Delta T/T$

then
$$S/N = \kappa (\Delta T/T) NA \sqrt{[\pi \sigma Ar(\lambda) \Delta \lambda/2eB]}$$

and the NEDT - noise equivalent differential temperature - $\Delta T \otimes S/N=1$:

NEDT = $(T/\kappa NA) \sqrt{[2eB/\sigma\pi r(\lambda)\Delta\lambda A]}$ = $2kT^2 D_{BLIP} (1/\eta NA) \sqrt{(B/A)}$

Theoretical NEDT



NED in real detectors

If detector is real (not BLIP-limited):

$$i_{n(bg)} = \sigma \text{ NEP} = \sigma \text{ NA}\sqrt{AB/D^{**}}$$
, signal is the same
 $S/N = \Delta i/i_{n(bg)} = \pi \text{ NA} \sqrt{(A/B) \kappa r(\lambda) \Delta \lambda (\Delta T/T) D^{**}}$

and

NEDT = T [π NA κ r(λ) $\Delta\lambda$ D**]⁻¹ $\sqrt{(B/A)}$ = 2kT² (D²_{BLIP}/D**) (1/ η NA) $\sqrt{(B/A)}$

Effect of non-unity emissivity

If emissivity is $\varepsilon < 1$, total radiance is sum of:

- \bullet blackbody term scaled by $\epsilon,$ and
- •ambient re-diffused contribution (1ϵ) :

 $r_{tot}(\lambda,T) = \epsilon r(\lambda,T+\Delta T) + (1-\epsilon) r(\lambda,T) \approx r(\lambda,T)$

thus, background noise is about the same, and radiant measurement of temperature supplies a signal $\epsilon\Delta T$. CORRECTIONS:

- by a separate conventional thermometric calibration (typ. accuracy:1% or of 0.05° C for Δ T<50°C)
- by estimate f ε from proprieties of surface under test (typ. accuracy:≈ 10% for ΔT<50°C)

An infrared thermometer



If temperature $T = T_{amb} + \Delta T$ is large enough to make the ambient contribution negligible, i.e.

$$r_{tot}(\lambda, T) = \varepsilon r(\lambda, T_{amb} + \Delta T) + (1 - \varepsilon) r(\lambda, T_{amb})$$

$$\approx r(\lambda, T_{amb}) + \varepsilon [dr(\lambda, T_{amb})/dT] \Delta T$$

$$\approx \varepsilon [dr(\lambda, T_{amb})/dT] \Delta T$$

then we can correct against ε by looking at the current

 $J = \sigma r_{tot}(\lambda, T)$ found at two wavelengths λ_1 and λ_2 .

This is called two-color pyrometry.

Two-color pyrometry

using $2-\lambda$ channels:

$$J_{bg}(\lambda_1) = \varepsilon_1 \sigma_1 \Delta \lambda_1 \pi NA^2 2hc^2/\lambda_1^5(\exp hc/\lambda_1 kT - 1) J_{bg}(\lambda_2) = \varepsilon_2 \sigma_2 \Delta \lambda_2 \pi NA^2 2hc^2/\lambda_2^5(\exp hc/\lambda_2 kT - 1)$$

ratio of the detected signals

$$R = J_{bg}(\lambda_2)/J_{bg}(\lambda_1)$$

= $(\epsilon_1/\epsilon_2)(\lambda_1/\lambda_2)^5(\sigma_2\Delta\lambda_2/\sigma_1\Delta\lambda_1) \exp[hc(1/\lambda_2-1/\lambda_1)/kT]$

taking the logarithm of R, $\ln R = \ln C_1 + C_2/T$, T is solved as:

$$T = C_2 / [\ln R - \ln C_1] = \frac{(\epsilon_1 / \epsilon_2)(\ln(1/\lambda_2 - 1/\lambda_1)/k)}{\log [J_{bg}(\lambda_2)/J_{bg}(\lambda_1)] + 5\log(\lambda_2/\lambda_1) + \log(\sigma_1 \Delta \lambda_1 / \sigma_2 \Delta \lambda_2)}$$

independent from emissivity (if $\varepsilon \approx \text{const. in } \lambda_1 - \lambda_2$) and is self-calibrated (in absolute temperature)

Therm ovisions

Spectral range of operation: MIR, λ =3-5µm or FIR, λ =8-14µm

GENERATIONS:

0-th: pioneer's work: Spectracon (oil -film camera), 1950
1st: LN-cooled InSb scan camera (AGA, Huges, etc.) 1970 general purpose

2nd: LN-cooled CMT and LTT FPA, 1980 - military

3rd: TEC-cooled Bolometer, 1985 - portable

4th: uncooled Pt-Si and VO_x bolometer 1990 - camcorder

Equipment



Avio LN-cooled InSb-FPA high-performance thermovision



Inframetrics uncooled CAM corder

Fields of application

•*industrial applications*: visualization of temperature pattern for application in: electronics, power engineering airconditioning, automotive, construction •*medical applications*: early diagnosis of breast cancer, spotting necrotized areas after severe burning, reveal circulatory diseases •*remote sensing*: several earth resource satellites carry aboard multispectral sensors (12 channels in VIS and 1-2 in MIR/FIR) to reveal pollution, crops, etc. •Military: the most important driving force of IR techniques, as THV is a passive vision system, working at night or in the dark with no need for illumination, revealing

thermal signatures